האוניברסיטה העברית בירושלים THE HEBREW UNIVERSITY OF JERUSALEM



# The Hebrew University of Jerusalem

Syllabus

# Regression and Statistical Models - 52571

Last update 10-03-2023

<u>HU Credits:</u> 6

Degree/Cycle: 1st degree (Bachelor)

<u>Responsible Department:</u> Statistics

<u>Academic year:</u> 0

Semester: 2nd Semester

<u>Teaching Languages:</u> Hebrew

<u>Campus:</u> Mt. Scopus

Course/Module Coordinator: Dr. Asaf Weinstein

Coordinator Email: asaf.weinstein@mail.huji.ac.il

<u>Coordinator Office Hours:</u> Sundays 15:00-16:00

Teaching Staff:

Dr. Asaf Weinstein, Ms. Nofar Gabay

*Course/Module description:* 1. Simple and multiple linear regression

2. Analysis of variance

## <u>Course/Module aims:</u>

To build foundations for statistical inference in some basic linear models

Learning outcomes - On successful completion of this module, students should be able to:

1. Understand the theory behind the methods studied

- 2. Apply the methods studied in the lectures
- 3. Understand analyses that use the methods studied in the lectures

Attendance requirements(%):

None

Teaching arrangement and method of instruction: Chalkboard, with occasional demonstration of computer analysis outputs. In addition, instructor course notes will update during the semester and will be available on the course website

Course/Module Content:

1. Preface

2. Chapters in linear algebra

2.1. Determinant of a matrix

2.2. Diagonalization, eigenvalues and eigenvectors

*3. Linear regression in a single explanatory variable. The least squares method 4. Multiple linear regression. Properties of the least squares estimator and geometric interpretation. Projections* 

5. Probability background. Expectation of a random vector and covariance matrix of a random vector. The multivariate normal distribution

6. Statistical inference in multiple linear regression. Expectation and covariance of the least squares estimator, error variance estimation, the Gauss-Markov theorem, hypothesis testing and confidence interval for a single coefficient an for a linear combination 7. Practical aspects and diagnostics. Residual analysis, multicollinearity, influence metrics

8. Constructing a multiple linear regression model. Initial analysis, dummy variables, interactions, transformations, variable selection, goodness-of-fit measures

9. F-test for comparing two nested models

10. One-way and two-way analysis of variance

11. Random effects models

12. Advanced topics (time permitting): multiple hypothesis testing in linear regression models, post-selection (post-hoc) inference

<u>Required Reading:</u> Coures notes

### Additional Reading Material:

1. Weisberg, S. (1980). Applied Linear Regression

- 2. Freedman, D. A. (2009). Statistical models: theory and practice
- 3. Faraway, J. J. (2002). Practical regression and ANOVA using R
- 4. Ravishanker, N. & Dey, D. K. (2020). A first course in linear model theory
- 5. Searle, S.R., McCulloch, C.E. & Neuhaus, J.M. (2011).
- 6. Generalized, linear, and mixed models
- 7. Scheffe, H. (1999). The analysis of variance

Course/Module evaluation:

End of year written/oral examination 70 % Presentation 0 % Participation in Tutorials 0 % Project work 5 % Assignments 5 % Reports 0 % Research project 0 % Quizzes 20 % Other 0 %

### Additional information:

Assignments: pass/fail grading. To earn full points in this category you will be required to submit of the homework assignments, where &eq;total # of assignments for the semester. Project work: a project will be assigned in the second part of the semester, replacing two homework assignments